## Year 2 Calculation Policy

|  | Concrete | Pictorial | Abstract |
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| Year 2 <br> Addition |  |  |  |
| Understanding 10s and 1s | Group objects into 10s and 1s. <br> Bundle straws to understand unitising of 10 s . | Understand 10s and 1s equipment, and link with visual representations on ten frames. <br> arrorrs | Represent numbers on a place value grid, using equipment or numerals. |
| Adding 10s | Use known bonds and unitising to add 10s. <br> (III) <br> I know that $4+3=7$. <br> So, 1 know that 4 tens add 3 tens is 7 tens. | Use known bonds and unitising to add 10s. <br> I know that $4+3=7$. <br> So, 1 know that 4 tens add 3 tens is 7 tens. | Use known bonds and unitising to add 10s. $4+3=\square$ $4+3=7$ |


|  |  |  | $\begin{aligned} & 4 \text { tens }+3 \text { tens }=7 \text { tens } \\ & 40+30=70 \end{aligned}$ |
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| Adding a <br> 1-digit number to a 2-digit number not bridging a 10 | Add the 1 s to find the total. Use known bonds within 10. <br> 41 is 4 tens and 1 one. <br> 41 add 6 ones is 4 tens and 7 ones. <br> This can also be done in a place value grid. | Add the 1s. <br> 34 is 3 tens and 4 ones. <br> 4 ones and 5 ones are 9 ones. <br> The total is 3 tens and 9 ones. | Add the 1s. <br> Understand the link between counting on and using known number facts. Children should be encouraged to use known number bonds to improve efficiency and accuracy. <br> This can be represented horizontally or vertically. $34+5=39$ <br> or |
| Adding a <br> 1-digit number to a 2-digit number bridging 10 | Complete a 10 using number bonds. | Complete a 10 using number bonds. | Complete a 10 using number bonds. |


|  | There are 4 tens and 5 ones. I need to add 7 . I will use 5 to complete a 10, then add 2 more. |  | $\begin{aligned} & 7=5+2 \\ & 45+5+2=52 \end{aligned}$ |
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| Adding a <br> 1-digit number to a 2-digit number using exchange | Exchange 10 ones for 1 ten. | Exchange 10 ones for 1 ten. | Exchange 10 ones for 1 ten. |
| Adding a multiple of $\mathbf{1 0}$ to a 2-digit number | Add the 10 s and then recombine. <br> 27 is 2 tens and 7 ones. <br> 50 is 5 tens. <br> There are 7 tens in total and 7 ones. | Add the 10 s and then recombine. <br> $\theta \theta \theta \theta \theta \theta$ <br> 66 is 6 tens and 6 ones. $66+10=76$ | Add the 10 s and then recombine. $\begin{aligned} & 37+20=? \\ & 30+20=50 \\ & 50+7=57 \end{aligned}$ $37+20=57$ |


|  | So, $27+50$ is 7 tens and 7 ones. | A 100 square can support this understanding. |  |
| :---: | :---: | :---: | :---: |
| Adding a multiple of 10 to a 2-digit number using columns | Add the 10 s using a place value grid to support. <br> 16 is 1 ten and 6 ones. <br> 30 is 3 tens. <br> There are 4 tens and 6 ones in total. | Add the 10 s using a place value grid to support. <br> 16 is 1 ten and 6 ones. <br> 30 is 3 tens. <br> There are 4 tens and 6 ones in total. | Add the 10s represented vertically. Children must understand how the method relates to unitising of 10 s and place value. $\begin{aligned} & 1+3=4 \\ & 1 \text { ten }+3 \text { tens }=4 \text { tens } \\ & 16+30=46 \end{aligned}$ |
| Adding two <br> 2-digit numbers | Add the 10 s and 1 s separately. $5+3=8$ | Add the 10s and 1s separately. Use a part-whole model to support. | Add the 10 s and the 1 s separately, bridging 10 s where required. A number line can support the calculations. |


|  | There are 8 ones in total. $3+2=5$ <br> There are 5 tens in total. $35+23=58$ | $\begin{aligned} & 11=10+1 \\ & 32+10=42 \\ & 42+1=43 \\ & \\ & 32+11=43 \end{aligned}$ | $17+25$ |
| :---: | :---: | :---: | :---: |
| Adding two 2-digit numbers using a place value grid | Add the 1 s . Then add the 10 s . |  | Add the 1 s . Then add the 10 s . |
| Adding two 2-digit numbers with exchange | Add the 1s. Exchange 10 ones for a ten. Then add the 10s. |  | Add the 1s. Exchange 10 ones for a ten. Then add the 10s. |


|  |    |  |  0 <br> 3 6 <br> +2 9 <br>  5 <br> 1 $+$$T$ 0 <br> 3 6 <br> 2 9 <br> 6 5 <br>  1 |
| :---: | :---: | :---: | :---: |
| Year 2 <br> Subtraction |  |  |  |
| Subtracting multiples of 10 | Use known number bonds and unitising to subtract multiples of 10 . <br>  <br> 8 subtract 6 is 2. <br> So, 8 tens subtract 6 tens is 2 tens. | Use known number bonds and unitising to subtract multiples of 10 . $10-3=7$ <br> So, 10 tens subtract 3 tens is 7 tens. | Use known number bonds and unitising to subtract multiples of 10 . <br> 7 tens subtract 5 tens is 2 tens. $70-50=20$ |


| Subtracting a single-digit number | Subtract the 1s. This may be done in or out of a place value grid. | Subtract the 1 s . This may be done in or out of a place value grid. | Subtract the 1s. Understand the link between counting back and subtracting the 1 s using known bonds. $\begin{array}{r} \mathrm{T} \quad \mathrm{O} \\ \hline 3 \mathrm{q} \\ -\quad 3 \\ \hline \begin{array}{l} 3 \\ \hline \end{array} \\ \hline \end{array}$ |
| :---: | :---: | :---: | :---: |
| Subtracting a single-digit number bridging 10 | Bridge 10 by using known bonds. <br> 35-6 <br> I took away 5 counters, then 1 more. | Bridge 10 by using known bonds. $35-6$ <br> First, I will subtract 5, then 1. | Bridge 10 by using known bonds. $\begin{aligned} & 24-6=? \\ & 24-4-2=? \end{aligned}$ |
| Subtracting a single-digit number using exchange | Exchange 1 ten for 10 ones. This may be done in or out of a place value grid. | Exchange 1 ten for 10 ones. | Exchange 1 ten for 10 ones. |


|  |  |   |  $25-7=18$ |
| :---: | :---: | :---: | :---: |
| Subtracting a 2-digit number | Subtract by taking away. <br> 0000000000 <br> 0000000000 <br> 0000000000 <br> 0000000000 <br>  <br> $\varnothing \varnothing \varnothing \varnothing \varnothing \varnothing \varnothing \varnothing \varnothing \varnothing$ <br> $\varnothing$ <br> 61-18 <br> I took away 1 ten and 8 ones. | Subtract the 10 s and the 1 s . <br> This can be represented on a 100 square. | Subtract the 10 s and the 1 s . <br> This can be represented on a number line. <br> $64-41=$ ? $\begin{aligned} & 64-1=63 \\ & 63-40=23 \\ & 64-41=23 \end{aligned}$ $\begin{aligned} & 46-20=26 \\ & 26-5=21 \\ & 46-25=21 \end{aligned}$ |



|  |  |  | Ones <br> $8 \otimes 80$ <br> Ones <br> 0000 <br> $\therefore 8 \circ 0^{\circ}$ <br> $\odot \infty$ <br> Ones <br>  <br> - <br> Ones <br> $\because \otimes^{\circ}$ <br> * * | $\begin{array}{r} \mathrm{T} \end{array} \mathrm{O}, \begin{array}{r} 4 \\ \hline \end{array}$ |
| :---: | :---: | :---: | :---: | :---: |
| Year 2 <br> Multiplication |  |  |  |  |
| Equal groups and repeated addition | Recognise equal groups and write as repeated addition and as multiplication. <br> 3 groups of 5 chairs 15 chairs altogether | Recognis such as c and mult <br> 3 groups 15 in tota | equal grour <br> unters an lication. | Use a numb addition an $\begin{aligned} & 5+5+5=1 \\ & 3 \times 5=15 \end{aligned}$ |
| Using arrays to represent | Understand the relationship between arrays, multiplication and repeated addition. | Understa multiplic | d the re ion and | Understand multiplicati |


| multiplication and support understanding |  <br>  <br> 4 groups of 5 | 4 groups of 5 ... 5 groups of 5 | $5 \times 5=25$ |
| :---: | :---: | :---: | :---: |
| Understanding commutativity | Use arrays to visualise commutativity. <br> I can see 6 groups of 3 . <br> I can see 3 groups of 6 . | Form arrays using counters to visualise commutativity. Rotate the array to show that orientation does not change the multiplication. <br> This is 2 groups of 6 and also 6 groups of 2 . | Use arrays to visualise commutativity. $\begin{aligned} & 4+4+4+4+4=20 \\ & 5+5+5+5=20 \\ & 4 \times 5=20 \text { and } 5 \times 4=20 \end{aligned}$ |
| Learning $\times 2, \times 5$ and $\times 10$ table facts | Develop an understanding of how to unitise groups of 2, 5 and 10 and learn corresponding times-table facts. | Understand how to relate counting in unitised groups and repeated addition with knowing key times-table facts. | Understand how the times-tables increase and contain patterns. |


|  | $\begin{aligned} & 3 \text { groups of } 10 \ldots 10,20,30 \\ & 3 \times 10=30 \end{aligned}$ | 0000000000 <br> 0000000000 <br> 0000000000 $\begin{aligned} & 10+10+10=30 \\ & 3 \times 10=30 \end{aligned}$ |  |
| :---: | :---: | :---: | :---: |
| Year 2 <br> Division |  |  |  |



| Grouping equally | Understand how to make equal groups from a whole. $0.02_{2}^{2500}$ $\square$ $\square$ $1 \text { 陉 }$ $\square$ <br> 8 divided into 4 equal groups. <br> There are 2 in each group. | Understand the relationship between grouping and the division statements. $\begin{gathered} 12 \div 3=4 \\ O \\ 12 \div 4=3 \\ \square \\ 12 \div 6=2 \end{gathered}$ $12 \div 2=6$ | Understand how to relate division by grouping to repeated subtraction. <br> There are 4 groups now. <br> 12 divided into groups of 3 . $12 \div 3=4$ <br> There are 4 groups. |
| :---: | :---: | :---: | :---: |
| Using known times-tables to solve divisions | Understand the relationship between multiplication facts and division. <br> 4 groups of 5 cars is 20 cars in total. 20 divided by 4 is 5 . | Link equal grouping with repeated subtraction and known times-table facts to support division. <br> 40 divided by 4 is 10. <br> Use a bar model to support understanding of the link between times-table knowledge and division. $\qquad$ | Relate times-table knowledge directly to division. $\begin{aligned} & 1 \times 10=10 \\ & 2 \times 10=20 \\ & 3 \times 10=30 \\ & 4 \times 10=40 \\ & 5 \times 10=50 \\ & 6 \times 10=60 \\ & 7 \times 10=70 \\ & 8 \times 10=80 \end{aligned}$ $\text { I used the } 10$ times-table to help me. $3 \times 10=30$ <br> I know that 3 groups of 10 makes 30 , so I know that 30 divided by 10 is 3 . $3 \times 10=30 \text { so } 30 \div 10=3$ |

